

Name: _____

Test 3: Unit 4 &5

1. Reid's Hardware discounts all riding lawnmowers 9% to customers paying in cash. If Trey paid \$1,187.64 in cash for a riding lawnmower, which of the following equations can be used to determine the original price of the lawnmower?

(Let x represent the original price of the lawnmower and y represent the discounted price.)

- A. $y = 1.09x$
- B. $y = 0.91x$
- C. $y = x - 9x$
- D. $y = 1.9x$

2. The Bedrock water department has a monthly service charge of \$7.80 and a volume charge of \$1.15 for every 100 cubic feet of water. Which of the following equations can be used to determine the Sandstone family's monthly water bill?

(Let x represent 100 cubic feet of water and y represent the monthly cost.)

- A. $y = 8.95x$
- B. $y = 1.15x - 7.80$
- C. $y = 0.0115x + 7.80$
- D. $y = 1.15x + 7.80$

3. Matt and Casey are wrapping gifts. They bought x rolls of wrapping paper and y packages of ribbon. They spent a total of \$33. The equation below describes the relationship between the number of rolls of wrapping paper and the number of packages of ribbon purchased.

$$6x + 3y = 33$$

The ordered pair (3, 5) is a solution of the equation. What does the solution (3, 5) represent?

- A. Matt and Casey purchased 3 rolls of wrapping paper and 5 packages of ribbon.
- B. A package of ribbon costs \$2 more than a roll of wrapping paper.
- C. Matt and Casey purchased 5 rolls of wrapping paper and 3 packages of ribbon.
- D. Matt and Casey spent \$3 on wrapping paper and \$5 on ribbon.

4. Solve for p .

$$\frac{4p - 26}{3} = 2$$

- A. $p = 8$
- B. $p = 21$
- C. $p = -5$
- D. $p = 7$

5. Solve for x . $8(x + 4) + 6(x + 4) = 6x - 6$

- A. $x = \frac{7}{4}$
- B. $x = 8$
- C. $x = -\frac{31}{4}$
- D. $x = -\frac{31}{10}$

6. Solve for x . $7x - 1 = 6x + 7x + 2$

- A. $x = \frac{1}{2}$
- B. $x = -\frac{1}{14}$
- C. $x = -\frac{1}{2}$
- D. $x = \frac{1}{14}$

7. Solve for x . $33x + 1 = 21x + 72x + 7$

- A. $x = -\frac{2}{5}$
- B. $x = -\frac{1}{10}$
- C. $x = -\frac{14}{5}$
- D. $x = \frac{1}{12}$

8. Sam is solving an equation. His work is shown below:

$$6x + (6x + 10) = 42$$

$$(6x + 6x) + 10 = 42$$

$$12x + 10 = 42$$

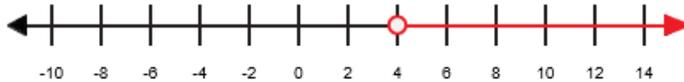
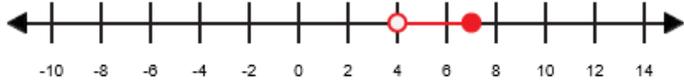
Which statement describes the procedure Harvey used in his work and which property justifies the procedure?

- A. Sam regrouped the terms to multiply $6x$ and $6x$. This procedure is justified by the commutative property.
- B. Sam regrouped the terms to add $6x + 6x$. This procedure is justified by the associative property.
- C. Sam regrouped the terms to add $6x$ and $6x$ and 10 . This procedure is justified by the commutative property.
- D. Sam regrouped the terms to multiply $6x$ and $6x$ by 10 . This procedure is justified by the associative property.

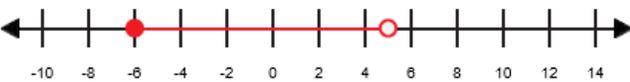
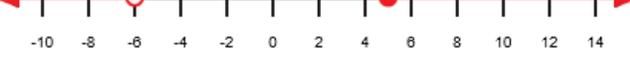
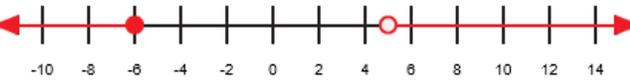
9. Solve the following compound inequality. $3x + 6 \leq -9$ OR $4x - 9 > 3$

- A. $-5 \leq x < 3$
- B. $x \leq -5$ OR $x > 3$
- C. $x \leq -6$ OR $x > 4$
- D. $x \leq -5$

10. Which of the following number lines shows the solution to the compound inequality given below?
 $2x - 7 > 1$ OR $-3x \leq -21$

- A. 
- B. 
- C. 
- D. 

11. Which of the following number lines shows the solution to the compound inequality given below?
 $-6x + 6 < 42$ AND $3x - 4 \leq 11$

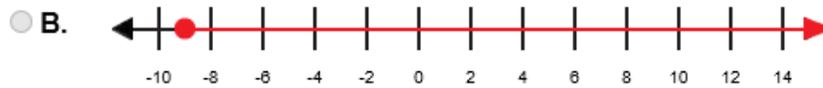
- A. 
- B. 
- C. 
- D. 

12. The junior class has been selling roses as an ongoing fundraiser. Roses sell for \$3.75 each and, to date, they have raised \$2,005.82. They would like to raise a total of \$2,909.57 by the end of the year. If this situation is modeled by the inequality below, how many more roses, x , do they need to sell to raise at least \$2,909.57?

$$2,005.82 + \$3.75x \geq \$2,909.57$$

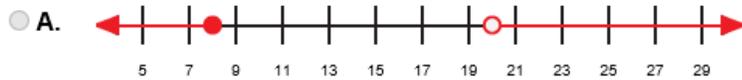
- A. The junior class would need to sell at most 241 roses.
 - B. The junior class would need to sell at least 241 roses.
 - C. The junior class would need to sell at most 776 roses.
 - D. The junior class would need to sell at most 535 roses.
13. Which of the following number lines shows the solution to the compound inequality given below

$$-4x - 4 < 0 \text{ OR } -3x \leq 27$$



14. Which of the following number lines shows the solution to the compound inequality given below?

$$-10 \geq -2x + 6 > -34$$



15. Brandon writes math problems for a publishing company. This week he has already written 21 problems. There are 2 days left in the work week. He set a goal for himself to write at least 31 problems this week. If this situation is modeled by the inequality below, what is the average number of problems, x , he needs to write each of the remaining work days in order to reach his goal?

$$21 + 2x \geq 31$$

- A. Brandon needs to write an average of at least 5 problems each of the remaining work days this week.
- B. Brandon needs to write an average of at most 3 problems each of the remaining work days this week.
- C. Brandon needs to write an average of at most 26 problems each of the remaining work days this week.
- D. Brandon needs to write an average of at most 5 problems each of the remaining work days this week.

16. Solve the following inequality. $-2|5 - x| \leq -10$

- A. $x \geq 10$ or $x \leq 0$
- B. $x \leq 10$ or $x \geq 0$
- C. $x \leq 0$
- D. $0 \leq x \leq 10$

17. Solve for x . $9x - 2 = 6x + 4$

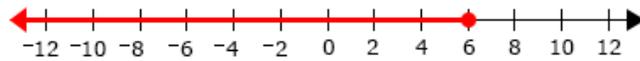
A. $x = \frac{4}{15}$

B. $x = \frac{4}{3}$

C. $x = 2$

D. $x = \frac{2}{5}$

18. The solution set of an inequality is shown below.



Which inequality has the solution set shown on the number line?

A. $\frac{x}{9} \leq \frac{2}{3}$

B. $\frac{-x}{9} \leq \frac{-2}{3}$

C. $\frac{x}{9} \leq \frac{-2}{3}$

D. $\frac{-x}{9} \leq \frac{2}{3}$